

## 8.4 Expected Counts in Two-Way Tables

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Name: \_\_\_\_\_ Class: \_\_\_\_\_ Date: \_\_\_\_\_

Total: 9 marks

### Objective

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Build the skills to answer exam questions on **expected counts in two-way tables**.

**You must be able to:**

- calculate an expected count as  $E = \frac{(\text{row total})(\text{column total})}{\text{grand total}}$
- explain that expected counts assume **no association** between the variables

### 1 Worked examples

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Study these first. Each one shows the method for a question type used later.

#### ■ Expected counts

For each cell of a two-way table, if the two variables were **not associated** (the null hypothesis):

$$E = \frac{(\text{row total})(\text{column total})}{\text{grand total}}.$$

#### ■ Example

A cell with row total 40, column total 50, and grand total 200:  $E = \frac{40 \times 50}{200} = 10$ .

## 2 Practice

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**2.1** Write the formula for an expected count in a two-way table. [1]

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**2.2** A cell has row total 60, column total 80, grand total 240. Find the expected count. [2]

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**2.3** State what expected counts assume. [1]

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## 3 Exam-style questions

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**3.1** The expected count in a two-way table cell is [1]

- **A**  $\frac{(\text{row})(\text{column})}{\text{grand total}}$
  - **B** row + column
  - **C** the observed count
  - **D** grand total  $\div 2$
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**3.2** Expected counts are computed assuming [1]

- **A** an association
  - **B** no association (the null hypothesis)
  - **C** bias
  - **D** unequal sample sizes
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**3.3** In a table, a cell has row total 50, column total 100, grand total 250.

(a) Find the expected count. [2]

(b) State the assumption behind it.

[1]

## Solutions

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**2.1**  $E = \frac{(\text{row total})(\text{column total})}{\text{grand total}}.$

**2.2**  $E = \frac{60 \times 80}{240} = 20.$

**2.3** that there is no association between the two variables.

**3.1** A.

**3.2** B.

**3.3** (a)  $E = \frac{50 \times 100}{250} = 20.$  (b) no association between the variables.