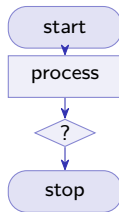


Algorithm Design

AS Computer Science ■ Topic 9

A-Level Computer Science



What we will cover

- 1 Computational thinking
- 2 Algorithms
- 3 Pseudocode constructs
- 4 Notations & refinement
- 5 Logic statements
- 6 Recap



1

Computational thinking

Abstraction

Abstraction 抽象 keeps the **essential** features and drops the irrelevant detail. A metro map keeps the stations and lines, not the geography. A **class** in object-oriented programming does the same: only the attributes and methods the system needs.

real geography



abstraction

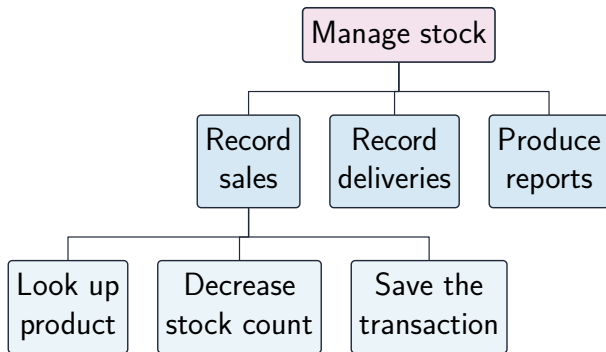


metro map



keep stations + lines, drop the geography

Decomposition



Decomposition 分解 breaks a big problem into smaller sub-problems, each easy to solve. Find the main parts, split each into steps, keep splitting until each is easy, then solve them and combine. Each module becomes a **procedure** 过程 or function.

Algorithms and the identifier table

An **algorithm** 算法 is a sequence of steps that is **unambiguous**, **deterministic**, **finite** and **effective**. It says *what* to do – independent of the language.

Name	Type	Description
ItemCost	REAL	cost
InStock	BOOLEAN	in stock?
SaleDate	DATE	sold on

An **identifier table** 标识符表 names every variable first.

Identifier table

list every piece of data first - name, type, description

name	data type	description
ItemCost	REAL	cost of the item
Category	STRING	the product category
SaleDate	DATE	when the item was sold
InStock	BOOLEAN	TRUE if in stock

use **descriptive** names (ItemCost, not x) - the table forces you to plan the data

An identifier table names every piece of data before you write code

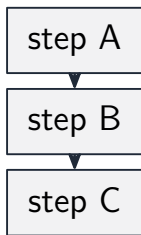
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Pseudocode

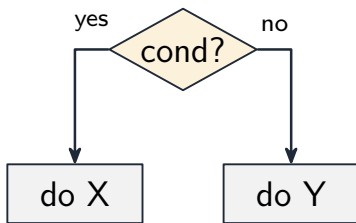
The three basic constructs

- **sequence** 顺序 – one step after another
- **selection** 选择 – IF/ELSE; for more options, CASE OF ... ENDCASE
- **iteration** 迭代 – FOR, WHILE, REPEAT

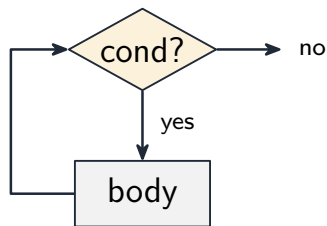
sequence



selection



iteration



Pseudocode operations

Selection

```
IF Age >= 18 THEN  
  OUTPUT "Adult"  
ELSE  
  OUTPUT "Minor"  
ENDIF
```

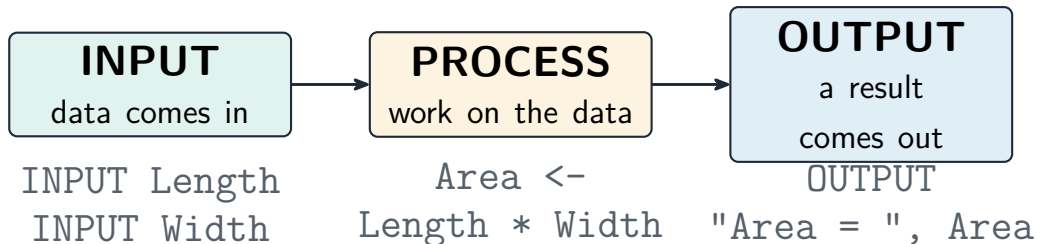
- assignment: $x \leftarrow 5$
- arithmetic $+$ $-$ $*$ $/$, plus DIV (integer $\div$) and MOD (remainder)
- WHILE tests before; REPEAT tests after
- $\&$ joins strings
(**concatenation** 拼接)

Input → Process → Output

Every program follows this shape: INPUT the values, **process** them, then OUTPUT the result.

Listing the inputs and outputs **first** makes the algorithm cleaner – and naming all three parts is what the mark scheme asks for.

Input → Process → Output, in detail



Every program follows the Input, Process, Output shape

Worked example: trace the algorithm

```
x ← 0
FOR i ← 1 TO 5
  IF i MOD 2 = 0 THEN
    x ← x + i
  ENDIF
NEXT i
OUTPUT x
```

What is the output?

i	i MOD 2	x
–	–	0
1	1	0
2	0	2
3	1	2
4	0	6
5	1	6

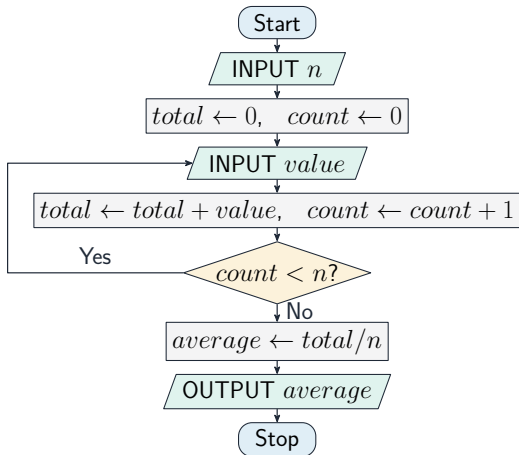
output: **6**

Fill the **trace table** 跟踪表 row by row – never run the whole loop in your head.
Only even i (2 and 4) change x .

3

Notations and refinement

Three notations



One algorithm, three ways:

- **structured English** 结构化英语 – high-level
- **flowchart** 流程图 – standard shapes
- **pseudocode** 伪代码 – closest to code

Each IF = a diamond; each loop = a back-arrow.

Stepwise refinement

Level 1

Read in the numbers
Compute the average
Output the average

refine each step

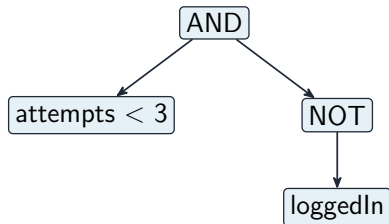
```
INPUT n
total = 0
FOR i = 1 TO n
  INPUT value
  total = total + value
NEXT i
average = total / n
OUTPUT average
```

Stepwise refinement 逐步求精 starts with a high-level outline and **expands each step** until it can be coded.
“Compute the average” → a loop that sums, then divides by n .

4

Logic

Logic statements



NOT binds first,
then AND

A **Boolean** 布尔 condition controls branching. **Precedence** 优先级:
NOT > AND > OR.

- write `a = 1 OR a = 2` (not `a = 1 OR 2`)
- **De Morgan** 德摩根定律: NOT
 $(A \text{ AND } B) = (\text{NOT } A) \text{ OR } (\text{NOT } B)$

Logic precedence, De Morgan, and the initialising trap

precedence 优先级

NOT, then AND, then OR – and use brackets whenever it is not obvious

De Morgan's law 德摩根定律

NOT (A AND B) is the same as (NOT A) OR (NOT B)

and the other half

NOT (A OR B) is (NOT A) AND (NOT B)

why it is handy

for **simplifying** a condition – a negated compound becomes two simple negations

the marked design decision

initialising Max: it must start **lower than any possible input**

the safe way

set Max to the **first element** of the list rather than to zero – which fails on all-negative data

Initialising to zero is the classic bug: a list of negative temperatures returns a maximum of zero, and the program never errors.

Exam tips

- Define an **algorithm** as an unambiguous, finite, deterministic sequence of steps, independent of language.
- Use the three constructs correctly – **sequence**, **selection**, **iteration** – and keep an identifier table with data types.
- Break a problem down by **decomposition and abstraction**, then stepwise refinement.
- Write pseudocode that would actually run: declare variables and follow the exam's pseudocode style.

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Recap

Topic 9 – key takeaways

1

Thinking

abstraction keeps essentials;
decomposition splits

2

Constructs

sequence, selection, iteration

3

Notations

structured English, flowchart,
pseudocode

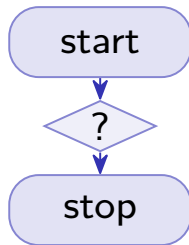
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Logic

NOT > AND > OR; De Morgan

Check yourself

- 1 Which technique drops irrelevant detail?
- 2 Which loop always runs at least once?
- 3 Flowchart shape for a decision?
- 4 Simplify NOT (A AND B).



Answers 1. abstraction 2. REPEAT...UNTIL 3. a diamond 4. (NOT A) OR (NOT B)